



#### **Goran Jovanovic**

Oregon State University School of Chemical, Biological, and Environmental Engineering

#### Microreactors Two-Phase Reactions Production of Biodiesel in Microreactors

In Affiliation With:

#### MBI Microproducts Breakthrough Institute PTT - LOA PTT - Laboratories Of America







		Liquid-Catalyst
	Refined	Solid-Catalyst
	Non-Refined	NO-Catalyst
Alcohol +	Oil	→ Biodiesel + Glycerol
Methyl Ethyl Butyl	Algal-oil Soybean oil Animal fat Cotton seed oil Mustard seed oil Palm-oil Rape-seed oil Sunflower oil Castrol oil Canola oil Fish oil	Room Temp. & Atm. Pressure 60 [°C]. & 1.1 Atm. Supercritical Conditions.



### **Biodiesel Synthesis**





### **Biodiesel Synthesis - Reaction Steps**

CH <sub>2</sub> -OOR <sub>1</sub> CH <sub>3</sub> CH <sub>2</sub> -OH	K <sub>1</sub>	CH <sub>2</sub> -OH 	CH <sub>3</sub> CH <sub>2</sub> -OOR <sub>1</sub>
CH - OOR <sub>2</sub> +	$\leftrightarrow$ K <sub>2</sub>	CH-OOR <sub>2</sub>	+
CH <sub>2</sub> -OOR <sub>3</sub>	-	CH <sub>2</sub> -OOR <sub>3</sub>	
Triglyceride + Ethanol	=	Diglyceride	+ Ethyl ester
CH <sub>2</sub> -OH	Ka	CH <sub>2</sub> -OH	
CH -OOR <sub>2</sub> +	↔ K₄	CH-OOR <sub>2</sub>	+
CH <sub>2</sub> -OOR <sub>3</sub> CH <sub>3</sub> CH <sub>2</sub> -OH	·	CH <sub>2</sub> -OH	CH <sub>3</sub> CH <sub>2</sub> -OOR <sub>3</sub>
Diglyceride Ethanol		Monglyceride	Ethyl ester



#### **Biodiesel Synthesis - Reaction Steps**

CH <sub>2</sub> -OH	K	CH <sub>2</sub> -OH	
$\dot{C}H-OOR_2 + CH_3CH_2-$	OH ↔	ĊH- OH	+ CH <sub>3</sub> CH <sub>2</sub> OOR <sub>2</sub>
CH <sub>2</sub> -OH	ι <b>ν</b> <sub>θ</sub>	CH <sub>2</sub> -OH	
Monglyceride Ethan	ol	Glycerol	Ethyl ester
<b>Overall Reaction</b>			
CH <sub>2</sub> -OOR <sub>1</sub>	K	CH <sub>2</sub> -OH	
$CH -OOR_2 + 3 CH_3CH_2 - 0$	CH ↔ HC	CH-OH	+ 3 CH <sub>3</sub> CH <sub>2</sub> -OOR
CH <sub>2</sub> -OOR <sub>3</sub>	κ <sub>B</sub>	⊓ CH₂-OH	
Triglyceride Ethan	ol	Glycerol	BIODIESEL
goran.jovanovic@oregonstate.edu	Oregon State	College of Engineering	People. Ideas. Innovation.

 $CH_{2}-OOC-R_{1}$   $CH-OOC-R_{2}$   $Where R_{1}, R_{2}, R_{3} are fatty acids$   $CH_{2}-OOC-R_{3}$ 

Saturated fatty acids Lauric Acid (12:00): [CH<sub>3</sub> (CH<sub>2</sub>)<sub>10</sub>CO<sub>2</sub>H]





Myristic Acid (14:00): 
$$[CH_3 (CH_2)_{12}CO_2H]$$

 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H
 H

Palmitic Acid (16:00):  $[CH_3 (CH_2)_{14}CO_2H]$ 





## **Triglycerides-Unsaturated Fatty Acids**















goran.jovanovic@oregonstate.edu





goran.jovanovic@oregonstate.edu





goran.jovanovic@oregonstate.edu





goran.jovanovic@oregonstate.edu



## **Experimental Setup - Animation**





## **Experimental Setup - Animation**



Schematic of the Microreactor.

#### **Assumptions:**

- The system is operating at steady state conditions and at 25 °C temperature;
- Constant initial concentrations of methanol and soybean oil at the inlet;
- Concentration of methanol at the interface throughout the microreactor is constant and equals the equilibrium concentration;
- Methanol from phase II diffuses towards phase I and reacts with soybean oil to produce biodiesel



## **Differential Control Volume in Microreactor**



#### Input –Output = Accumulation

Accumulation = 0 (at steady state)

Input = diffusion (x-direction) + convection (x-direction)+ diffusion (y –direction)

**Output = diffusion (x-direction) + convection (x-direction)+ diffusion (y –direction)** 



## **Two-Dimensional Mathematical Model:**

A steady state mass balance of soybean oil (A) in a control volume dV=Wdydx:

$$D = v_{x} (W\Delta y) C_{A}|_{x} - v_{x} (W\Delta y) C_{A}|_{x+\Delta x} - D_{A} \frac{dC_{A}}{dx}|_{x} (W\Delta y)$$
$$+ D_{A} \frac{dC_{A}}{dx}|_{x+\Delta x} (W\Delta y) - D_{A} \frac{dC_{A}}{dy}|_{y} (W\Delta x)$$
$$+ D_{A} \frac{dC_{A}}{dy}|_{y+\Delta y} (W\Delta x) - [+k_{1}C_{A}C_{B} - k_{2}C \log C_{ME}] (W\Delta y\Delta x)$$

By rearranging all terms into the form required for taking the limits and after division by control volume, we obtain:



$$-v_{Ax}\frac{\partial C_A}{\partial x} + D_A\frac{\partial^2 C_A}{\partial x^2} + D_A\frac{\partial^2 C_A}{\partial y^2} - k_1 C_A C_B - k_2 C_{DG} C_{ME} = 0$$

The boundary conditions associated with the above equation are:

$$C_{A}(0,y) = C_{A0} \qquad 0 \le y \le B_{a}; \qquad \frac{\partial C_{A}}{\partial y}(x,B_{a}) = 0 \qquad 0 \le x \le L$$
$$\frac{\partial C_{A}}{\partial x}(L,y) = 0 \qquad 0 \le y \le B_{a}; \qquad \frac{\partial C_{A}}{\partial y}(x,0) = 0 \qquad 0 \le x \le L$$

In the above equation  $v_{Ax}$  is velocity in x-direction in phase I and it is only a function of lateral position 'y'; where  $a = \mu_A / \mu_B$ ,  $b = B_a / B_b$ .

$$v_{Ax} = V_{\max} \left[ 1 + \left( \frac{b^2 - a^2}{aB_a(1+b)} \right) y - \left( \frac{a+b}{aB_aB_b(b+1)} \right) y^2 \right]$$



Steady state mass balance of **soybean** oil in phase I for control volume ( $w \Delta y \Delta x$ )

$$v_{A,x}\frac{\partial C_{A}}{\partial x} = D_{A,x}\frac{\partial^{2} C_{A}}{\partial x^{2}} + D_{A,y}\frac{\partial^{2} C_{A}}{\partial y^{2}} - k_{1}C_{A}C_{B} + k_{2}C_{DG}C_{ME}$$





Steady state mass balance of *methanol* in phase I for control volume ( $w \Delta y \Delta x$ )

$$v_{A,x} \frac{\partial C_B}{\partial x} = D_{B,x} \frac{\partial^2 C_B}{\partial x^2} + D_{B,y} \frac{\partial^2 C_B}{\partial y^2} - k_1 C_A C_B + k_2 C_{DG} C_{ME}$$
  
- $k_3 C_B C_{DG} + k_4 C_{MG} C_{ME} - k_5 C_B C_{MG} + k_6 C_{GL} C_{ME}$   
Interface  
$$C_B(0,y) = 0, \qquad 0 \le y \le B_a$$
  
$$C_B(x,0) = C_B^*, \qquad 0 \le x \le L$$
  
$$\frac{\partial C_B}{\partial y}(x,B_a) = 0, \qquad 0 \le x \le L$$
  
$$\frac{\partial C_B}{\partial x}(L,y) = 0, \qquad 0 \le y \le B_a$$

Introduce dimensionless variables:

$$F_{A} = \frac{C_{A}}{C_{A0}}; \quad F_{B} = \frac{C_{B}^{*}}{C_{A0}}; \quad F_{DG} = \frac{C_{DG}}{C_{A0}}; \quad F_{MG} = \frac{C_{MG}}{C_{A0}}; \quad F_{ME} = \frac{C_{ME}}{C_{A0}}; \quad F_{GL} = \frac{C_{GL}}{C_{A0}}; \quad \Psi = \frac{y}{B_{a}}; \quad \xi = \frac{x}{L}$$



**Soybean oil** PDE in the dimensionless variables form:

$$V_{A,x}LB_{a}^{2}\frac{\partial F_{A}}{\partial \xi} = D_{A,x}B_{a}^{2}\frac{\partial^{2}F_{A}}{\partial \xi^{2}} + D_{A,y}L^{2}\frac{\partial^{2}F_{A}}{\partial \Psi^{2}} + C_{A0}B_{a}^{2}L^{2}(-k_{1}F_{A}F_{B} + k_{2}F_{DG}F_{ME})$$

Soybean oil boundary conditions in the dimensionless variables form:

$$F_{A}(0,\Psi) = 1, \qquad 0 \le \Psi \le 1$$

$$\frac{\partial F_{A}}{\partial \Psi}(\xi,1) = 0, \qquad 0 \le \xi \le 1$$

$$\frac{\partial F_{A}}{\partial \xi}(1,\Psi) = 0, \qquad 0 \le \Psi \le 1$$

$$\frac{\partial F_{A}}{\partial \Psi}(\xi,0) = 0, \qquad 0 \le \xi \le 1$$



*Methanol* PDE in the dimensionless variables form:

$$V_{A,x}L B_a^2 \frac{\partial F_B}{\partial \xi} = D_{B,x}B_a^2 \frac{\partial^2 F_B}{\partial \xi^2} + D_{B,y}L^2 \frac{\partial^2 F_B}{\partial \Psi^2} + C_{A0}L^2 B_a^2 (-k_1F_AF_B + k_2F_{DG}F_{ME} - k_3F_BF_{DG} + k_4F_{MG}F_{ME} - k_5F_BF_{MG} + k_6F_{GL}F_{ME})$$

*Methanol* boundary conditions in the dimensionless variables form:

$$F_{B}(0,\Psi) = 0, \qquad 0 \le \Psi \le 1$$

$$F_{B}(\xi,0) = F_{B0}, \qquad 0 \le \xi \le 1$$

$$\frac{\partial F_{B}}{\partial \xi}(1,\Psi) = 0, \qquad 0 \le \Psi \le 1$$

$$\frac{\partial F_{B}}{\partial \Psi}(\xi,1) = 0, \qquad 0 \le \xi \le 1$$



#### **Mathematical Model**

PDEs in the dimensionless form for *diglycerides, monoglycerides, methyl esters,* and *glycerol* respectively are shown below :

#### **Diglycerides**

$$V_{A,x}LB_{a}^{2}\frac{\partial F_{DG}}{\partial \xi} = D_{DG,x}B_{a}^{2}\frac{\partial^{2}F_{DG}}{\partial \xi^{2}} + D_{DG,y}L^{2}\frac{\partial^{2}F_{DG}}{\partial \Psi^{2}} + C_{A0}L^{2}B_{a}^{2}(k_{1}F_{A}F_{B} - k_{2}F_{DG}F_{ME} - k_{3}F_{B}F_{DG} + k_{4}F_{MG}F_{ME})$$

#### Monoglycerides

$$V_{A,x}LB_{a}^{2}\frac{\partial F_{MG}}{\partial \xi} = D_{DG,x}B_{a}^{2}\frac{\partial^{2}F_{MG}}{\partial \xi^{2}} + D_{DG,y}L^{2}\frac{\partial^{2}F_{MG}}{\partial \Psi^{2}} + C_{A0}L^{2}B_{a}^{2}(k_{3}F_{B}F_{DG} - k_{4}F_{MG}F_{ME} - k_{5}F_{MG}F_{B} + k_{6}F_{ME}F_{GL})$$

#### Methyl esters

 $V_{A,x}L B_{a}^{2} \frac{\partial F_{ME}}{\partial \xi} = D_{M,x}B_{a}^{2} \frac{\partial^{2}F_{ME}}{\partial \xi^{2}} + D_{M,y}L^{2} \frac{\partial^{2}F_{ME}}{\partial \Psi^{2}} + C_{A0}L^{2}B_{a}^{2}(k_{1}F_{B}F_{A} - k_{2}F_{ME}F_{DG} + k_{3}F_{B}F_{DG} - k_{4}F_{MG}F_{ME} + k_{5}F_{MG}F_{B} - k_{6}F_{ME}F_{GL})$ 

**Giverol** 
$$V_{A,x}L B_a^2 \frac{\partial F_{GL}}{\partial \xi} = D_{GL,x}B_a^2 \frac{\partial^2 F_{GL}}{\partial \xi^2} + D_{GL,y}L^2 \frac{\partial^2 F_{GL}}{\partial \Psi^2} + C_{A0}L^2B_a^2(k_5F_{MG}F_B - k_6F_{ME}F_{GL})$$



## **Experimental Results**

The reaction rate constants ( $k_i$ ) are estimated by fitting the experimentally obtained conversion data for 100 µm microreactor using the above mathematical model.





## **Experimental Results**

The model conversions with estimated reaction rate constants ( $k_i$ ) show good fit for experimentally obtained conversion data at 200 µm.





### **Experimental Results**





### **Experimental Results comparison**





Model output for soybean oil concentration profiles in the microreactor-100 µm at different mean residence times (MRT).



College of Engineering

**Oregon State** 

#### **Effect of Mean Residence Time**

Molar Ratio (Methanol : Soybean Oil) = 7.2 : 1.0

 $T = 25 \, ^{\circ}C$ 

Thickness =  $100 \,\mu m$ 



MRT = 0.41 min Conv. = 18.40 %



#### **Effect of Mean Residence Time**





#### Effect of Mean Residence Time Molar Ratio (Methanol : Soybean Oil) = 7.2 : 1.0 $T = 25 \, ^{\circ}C$ Thickness = $100 \,\mu m$ Normalized Soybean Oil Concentration Profile vs. Normalized Reactor Length Max: 1.00 0.9 MRT = 1.69 min 02 03 04 05 05 07 08 Conv. = 66.60 % Min: 0.334



## Effect of Mean Residence Time Molar Ratio (Methanol : Soybean Oil) = 7.2 : 1.0 $T = 25 \, ^{\circ}C$ Thickness = $100 \,\mu m$ Normalized Soybean Oil Concentration Profile vs. Normalized Reactor Length Max: 1.00 MRT = **3.00** min 0 01 02 03 04 05 06 07 08 Conv. = 81.00 %

Min: 0.193



#### Effect of Mean Residence Time Molar Ratio (Methanol : Soybean Oil) = 7.2 : 1.0 $T = 25 \, ^{\circ}C$ Thickness = $100 \,\mu m$ Normalized Soybean Oil Concentration Profile vs. Normalized Reactor Length Max: 1.00 0.8 0.5 -0.5 MRT = 5.30 min 0 01 02 03 04 05 06 07 08 Conv. = 88.40 %



#### Effect of Mean Residence Time Molar Ratio (Methanol : Soybean Oil) = 7.2 : 1.0 $T = 25 \, ^{\circ}C$ Thickness = $100 \,\mu m$ Normalized Soybean Oil Concentration Profile vs. Normalized Reactor Length Max: 1.00 0.9 0.8 0.7 -0.8 -0.5 MRT = **10.00** min 0 01 02 03 04 05 05 07 08 Conv. = **91.00** % Min: 0.0908

Oregon State



#### **Numbering-up of Microscale Reactors**





#### **Numbering-up of Microscale Reactors**





#### **Numbering-up of Microscale Reactors**





#### **OSU first microscale biodiesel reactor**







Ahmad Al-Dhubabian, M.Sc. Thesis, Oregon State University, Corvallis (2006)







#### Production Cost of Biodiesel in US \$ (Conventional Large Biorifinery - Soybean Oil)



#### **Total Cost per Gallon US \$ 3.54**



#### Production Cost of Biodiesel in US \$ (1-5 M gal/year Secondary Triglycerides - Animal Fat)



#### Total Cost per Gallon US \$ 1.62



#### **Opportunities in the Development of Biodiesel Synthesis in Micro-technology**

- Classical Biodiesel Synthesis With Homogenous Catalyst.
- Biodiesel Process With Solid Catalyst.
- Biodiesel Process at Sub-critical Conditions With Homogenous Catalyst.
- Biodiesel Process at Sub-critical Conditions With Solid Catalyst.
- Biodiesel Process at Super-critical Conditions With or Without Solid Catalyst.





#### People. Ideas. Innovation.

# Thank you for your attention!

Special thanks to Ahmad Al-Dhubabian from Aramco-Houston for the help in developing this material.